

Ekofisk Revisited - Bearing Optimization for Improved Rotor Stability

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Outline

- n Background and introduction to the Ekofisk field problem
- n Rotor configurations and shaft models
- n Rotordynamic characteristics of original (Phase I) rotor
- n These bearings are going to be a disaster....
- n Let's try a squeeze film damper
- n What bearing might have worked?
- n What about the revised (Phase IV) rotor?
- n Closing comments



Background and Introduction

- n Two specific failures to predict instability in high pressure reinjection compressors pushed the development of tools and techniques
 - .. Kaybob, 7 months to fix in field
 - n Chevron, Alberta, Canada
 - n 1971, 9 stage, reinjection, 3175 psi discharge, 11,400 RPM
 - .. Ekofisk, 10 months to fix in field
 - n Phillips Petroleum, North Sea
 - n 1974, 8 Stage, 22,000 HP, 9200 psi discharge, 8426 RPM
- n Have been several retrospective papers in the past few years
 - .. Cloud, Pettinato, and Kocur's 2018 Turbomachinery Symposium paper on Ekofisk is the inspiration for this paper by E.J.
 - n The Cloud, et.al. paper focuses more on seal effects



Background and Introduction

- n Both failures were encountered for high discharge pressure compressors that were really pushing the state of the art at the time
 - .. Machines went unstable due to aerodynamic (Alford) cross-coupled stiffness forces
 - .. Were not bearing induced instability
 - n Lund's 1964 work had showed that plain journal bearings are unstable
 - n Both compressors had narrow five-pad, load-on-pad tilting pad bearings
- n 1970's state of the art transfer matrix codes could compute undamped critical speeds and unbalance response
 - .. But they could not adequately analyze rotordynamic stability

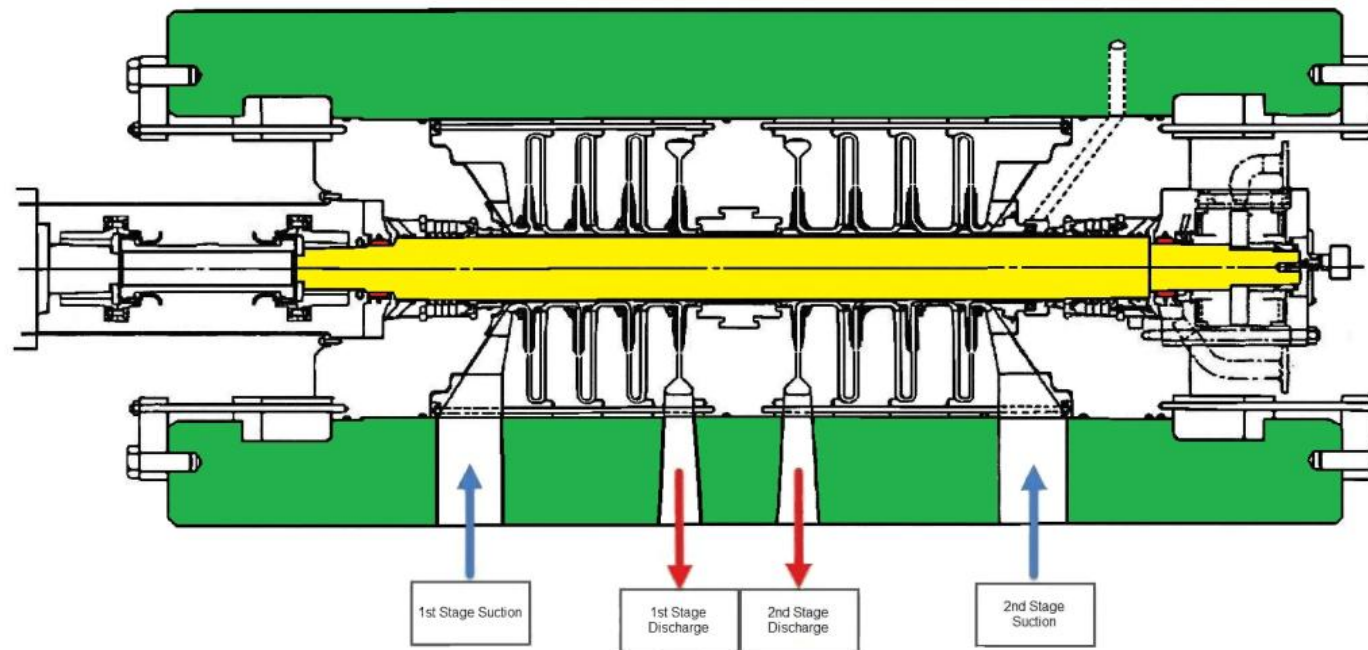


Background and Introduction

- n Three other helpful pieces of background information
 - .. API specs at the time dictated that compressors should not operate near critical speeds
 - n Compressor developers were motivated to avoid operating near the second critical speed
 - n This requirement influenced bearing choices
 - .. Bently proximity probes were starting to be installed in critical machinery such as these compressors, so there is some data available
 - .. Both machines looked fine during the mechanical run test at low pressure/low power



Ekofisk Compressor



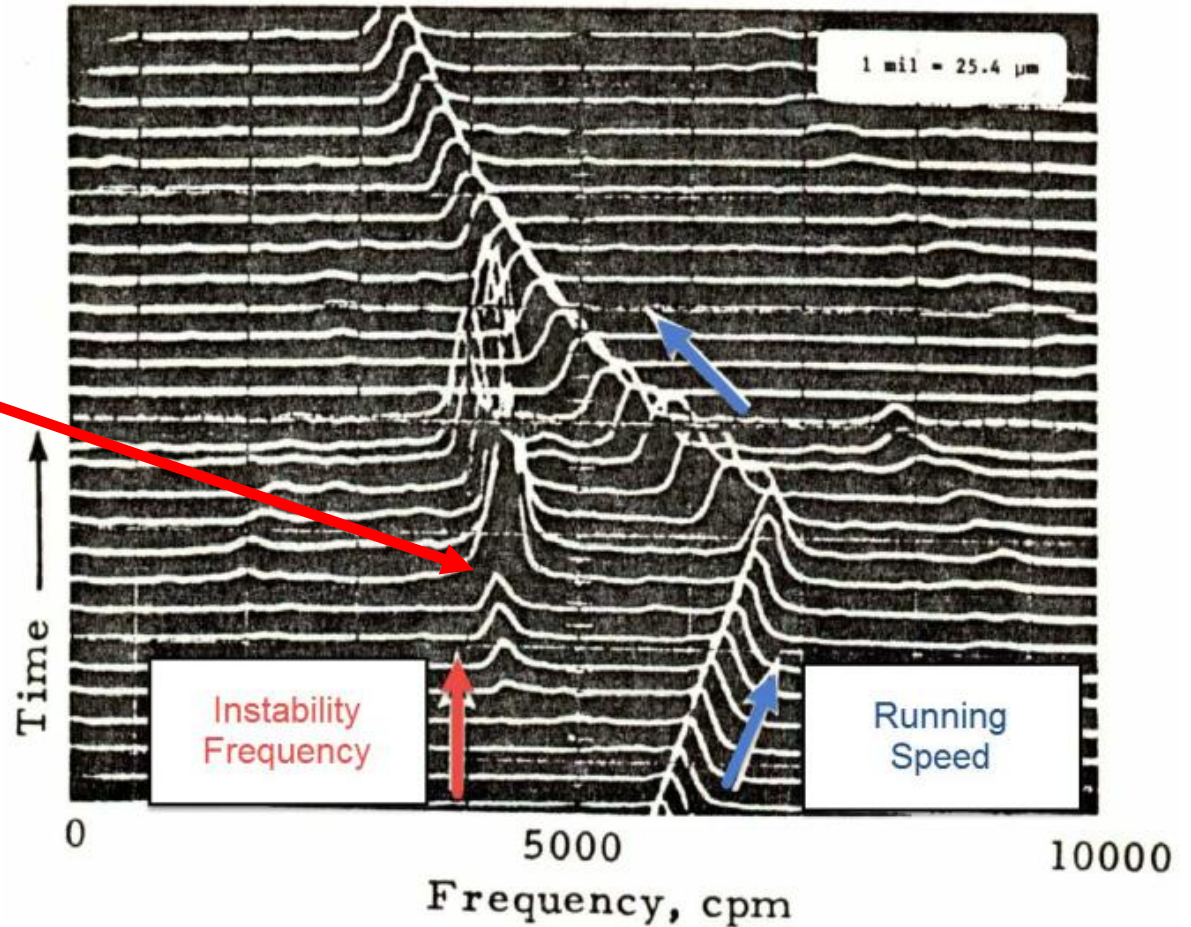
Elliot 25 MBHH
(2nd of two compressors in series)



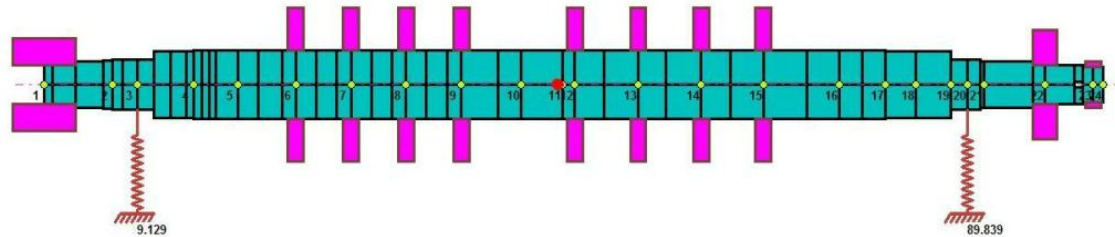
Startup Vibration Waterfall Plot

4400 CPM

(had been calculated to be 3800 cpm, with a rigid bearing critical speed of 4200 cpm)



Phase I Rotor Modeling



EKOFISK Original Phase I Rotor Configuration

Shaft Modal Stiffness, $K_s = 270,000 \text{ Lb/In}$

$N_{\text{rigid brgs}} = 4,792 \text{ RPM}$

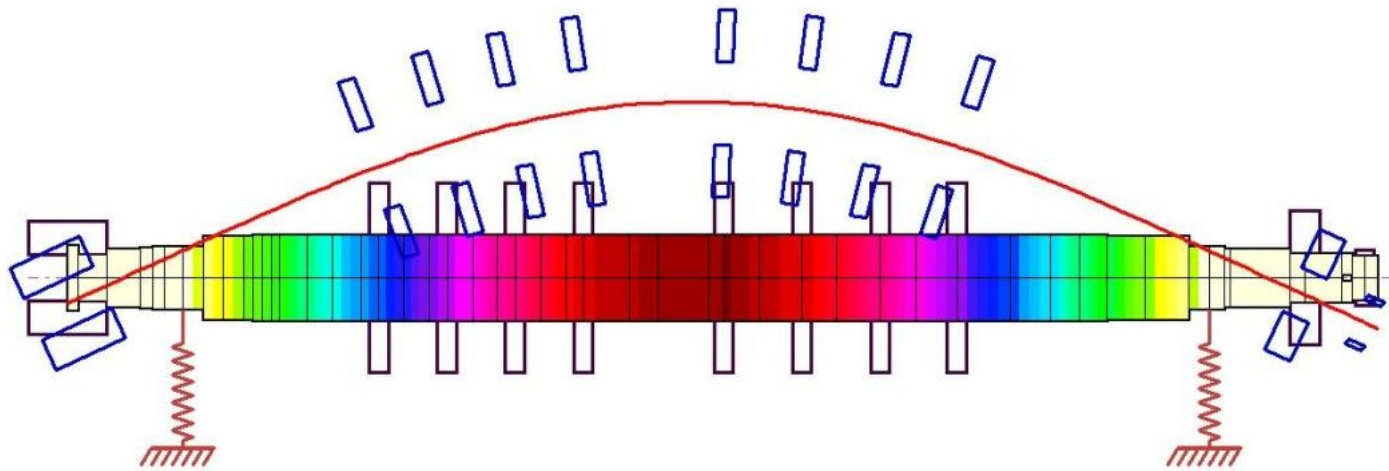
n Dyrobes model based on a rotor model presented by Cloud et., al.

- .. Includes disk gyroscopic effects (not included in earlier work?)
- .. 80.7 inch bearing span
- .. 6.7 inch main diameter
- .. L/D ratio 12.0

n High!

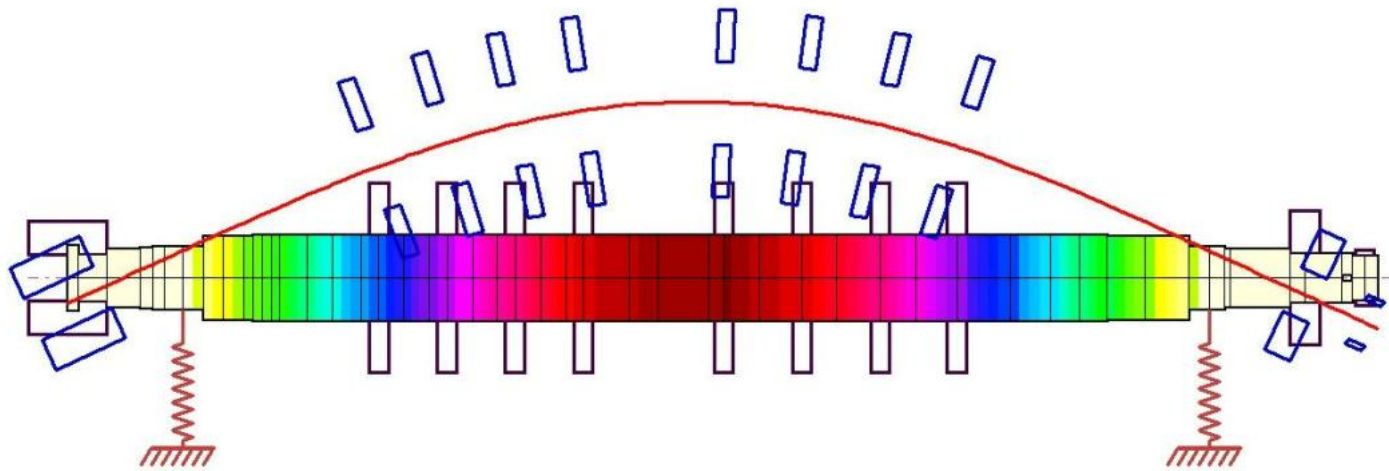


1st Undamped Critical Speed



Phase I Rotor First Critical Speed
 $K_{brg} = 1.0e6 \text{ Lb/in}$, $N1 = 4,352 \text{ RPM}$

1st Undamped Critical Speed



Phase I Rotor First Critical Speed

$$K_{brg} = 1.0e6 \text{ Lb/in}, N1 = 4,352 \text{ RPM}$$

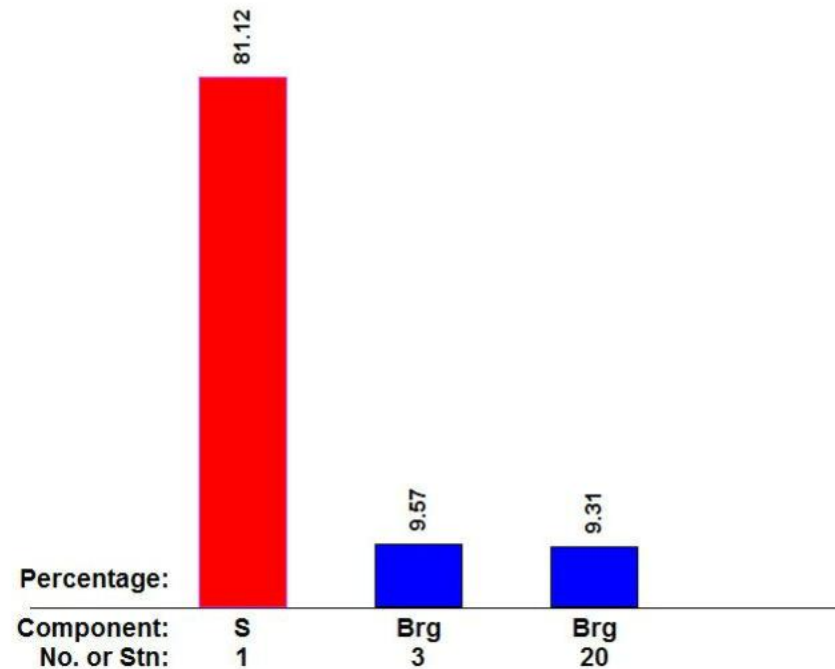

Close Correspondence with
measured 4400 cpm instability
(had been calculated as 3800 cpm!)

1st Undamped Critical Shaft Strain Energy

Mode No.= 1, Critical Speed = 4352 rpm = 72.53 Hz

Potential Energy Distribution (s/w=1)

Overall: Shaft(S)= 81.12%, Bearing(Brg)= 18.88%

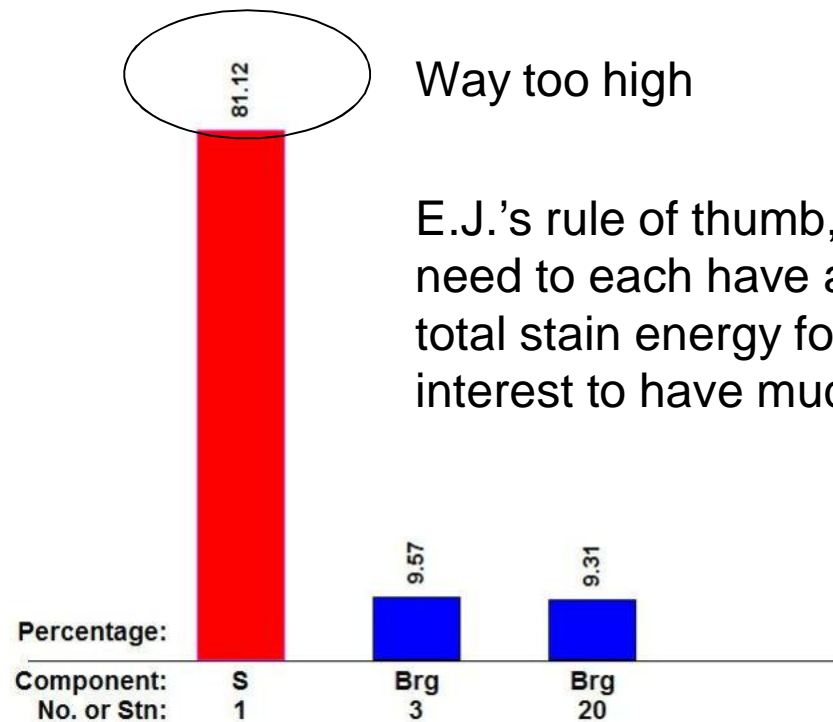


1st Undamped Critical Shaft Strain Energy

Mode No.= 1, Critical Speed = 4352 rpm = 72.53 Hz

Potential Energy Distribution (s/w=1)

Overall: Shaft(S)= 81.12%, Bearing(Brg)= 18.88%

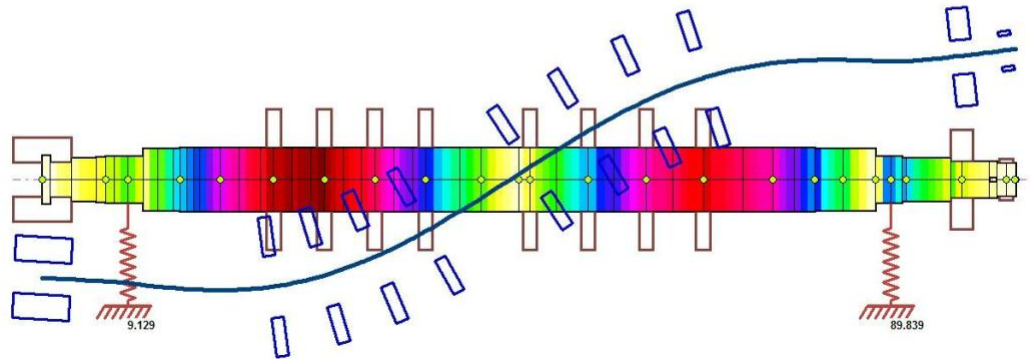


Way too high

E.J.'s rule of thumb, bearings need to each have at least 20% of total strain energy for mode of interest to have much effect

2nd Undamped Critical Speed

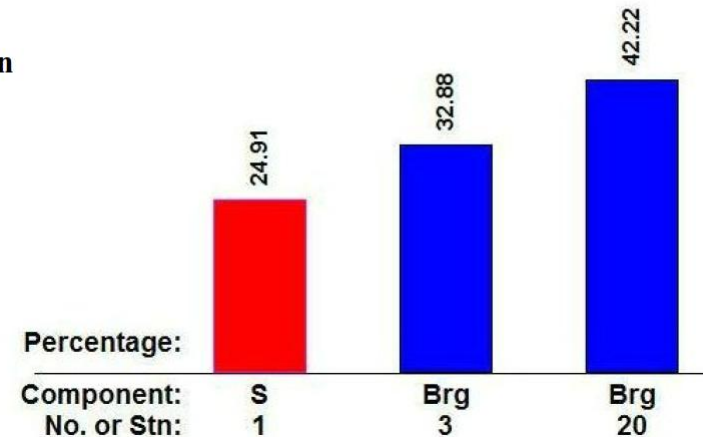
EKOFISK 2nd Critical Speed Analysis With $K_b=1.0e6$ Lb/In
 Shaft Modal Stiffness, $K_s = 270,000$ Lb/In
 Critical Speed Mode Shape, Mode No.= 2
 Spin/Whirl Ratio = 1, Stiffness: Kyy
 Critical Speed = 12326 rpm = 205.43 Hz



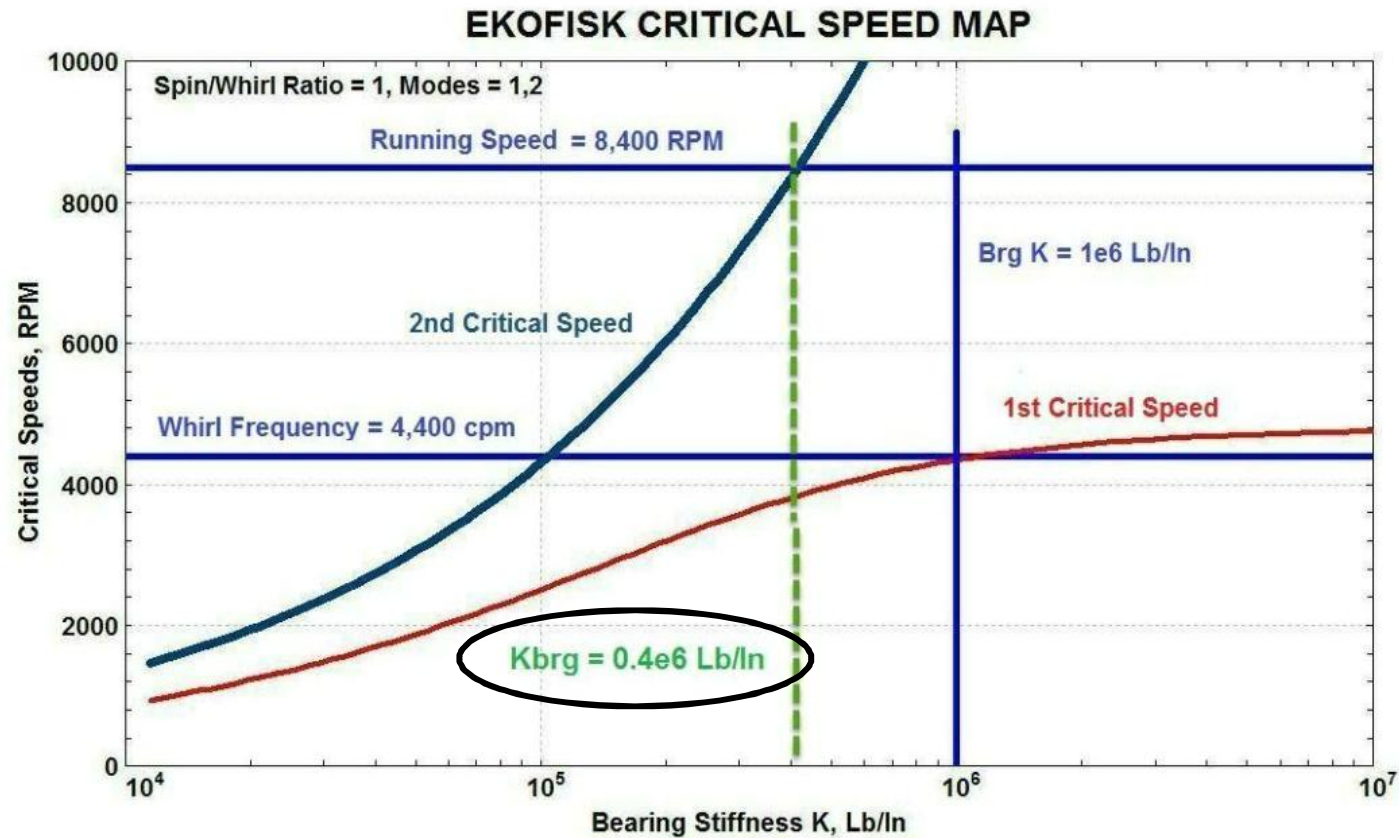
Mode No.= 2, Critical Speed = 12326 rpm = 205.43 Hz
 Potential Energy Distribution (s/w=1)
 Overall: Shaft(S)= 24.91%, Bearing(Brg)= 75.09%

Phase 1 Rotor Predicted Second Critical Speed with $K_b=1.0$ Lb/In
 $N_{c2} = 12,326$ RPM

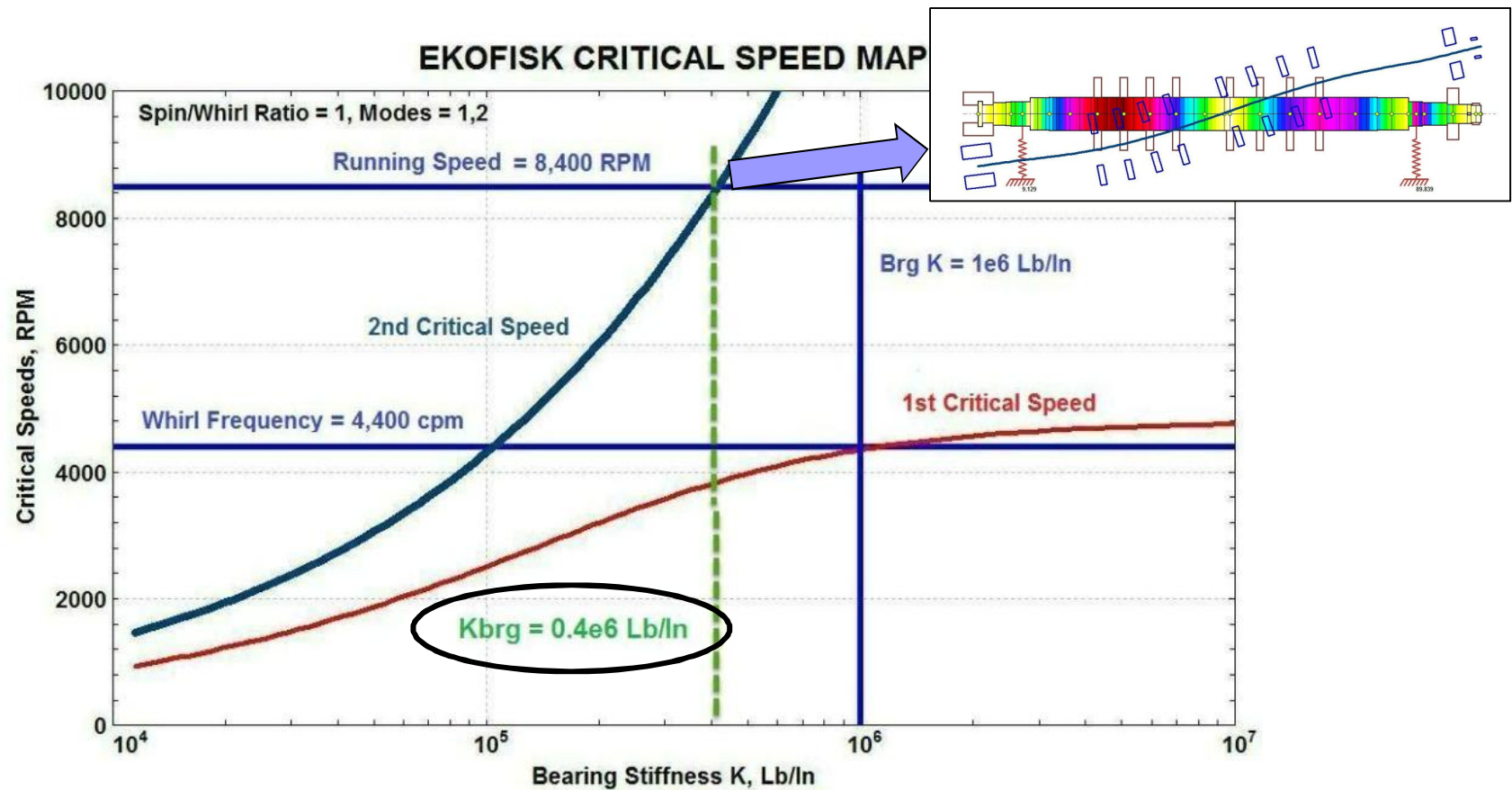
Plenty of bearing strain energy, bearing damping will be very effective



What if the Bearing were Softer?

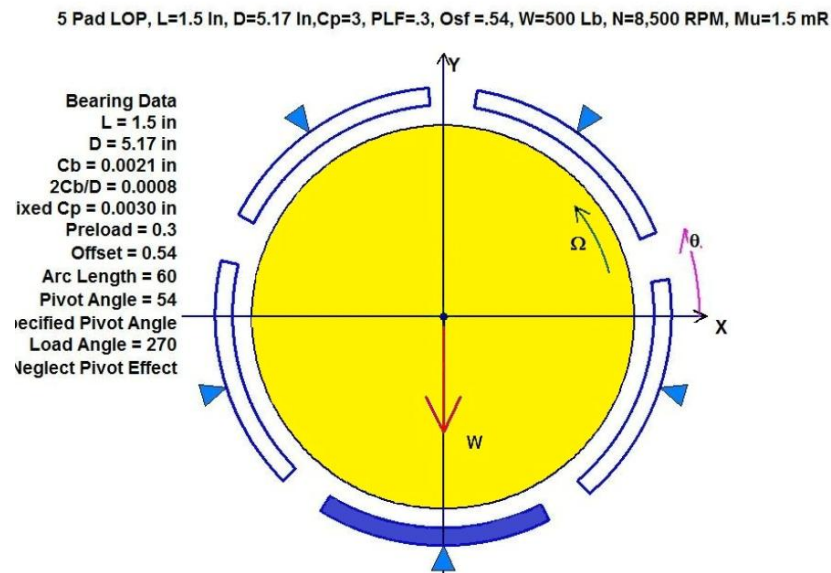


What if the Bearing were Softer?



Bearing Analysis Using Dyrobes

- n Phase I bearings are narrow ($L/D = 0.284$), 5 pad, load on pivot tilting pad bearings
 - .. 0.54 offset
 - .. 0.29 – 0.53 preload (nominal preload = 0.3 used for this paper)
 - .. Predicted Kyy stiffness: 1.292e6 lbf/in



Some Observations

- n For a simple flexible rotor, it can be shown that there is an optimum shaft to bearing stiffness ratio

$$K_{yy_ratio} = \frac{2K_{yy}}{K_s}, \quad K_{yy_ratio_optimal} = 1$$

- n Using the shaft modal stiffness of $2.7e4$ lbf/in

$$K_{yy_ratio_original} = \frac{2K_{yy}}{K_s} = \frac{2(9.5e5)}{2.7e4} = 7.03$$

$$K_{yy_ratio_Dyrobess} = \frac{2K_{yy}}{K_s} = \frac{2(1.29e6)}{2.7e4} = 9.56$$



Some Observations

- n For a flexible rotor with optimal stiffness, there is also an optimal damping
- n Assuming optimal damping and stiffness, an estimate of the amplification factor can be made

$$A_{\text{optKC}} = 2 (1 + K_{\text{ratio}})$$

- n Thus, even if we had the optimal damping, the amplification factor at the first critical is expected to be in the range of 14 to 19
 - .. This suggests the rotor will be quite sensitive to aerodynamic instability drivers



But Wait, It Gets Worse!

- n Dyrobes predicts the tilting pad bearing direct dynamic coefficients to be

$$K_{xx} = 1.15e6 \text{ lbf/in} \quad C_{xx} = 1,731 \text{ lbf-s/in}$$

$$K_{yy} = 1.29e6 \text{ lbf/in} \quad C_{yy} = 1,837 \text{ lbf-s.in}$$

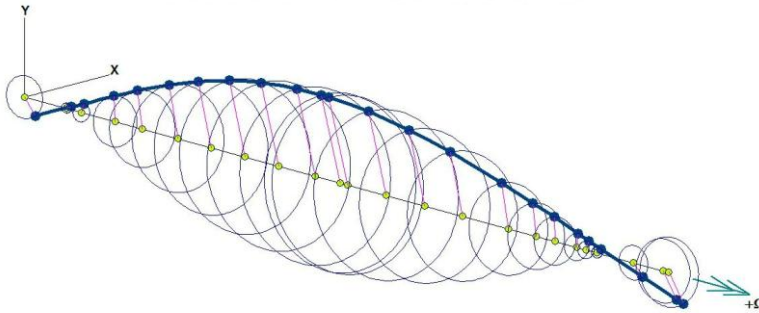
- n However, we know that support and pivot stiffness effects degrade the effective damping. E.J.'s preliminary rule of thumb is derate by 50% for initial calculation in this compressor

- .. He suggests the more precise approach is to include a decent estimate of the actual bearing support stiffness
- .. How good does his rule of thumb do?



But Wait, It Gets Worse!

EKOFISK Phase I Rotor Damped 1st Mode At 8,500 RPM With 5 Pad LOP, $m=0.3$,
 $K_{xx} = 1.152e6$, $K_{yy} = 1.29e6$ Lb/in, $C_{xx} = 1732$, $C_{yy} = 1838$ Lb-Sec/in
Mode No.= 2 STABLE FORWARD Precession
Shaft Rotational Speed = 8500 rpm
Whirl Speed (Damped Natural Freq.) = 4563 rpm (76 Hz), Log. Dec. = 0.2459



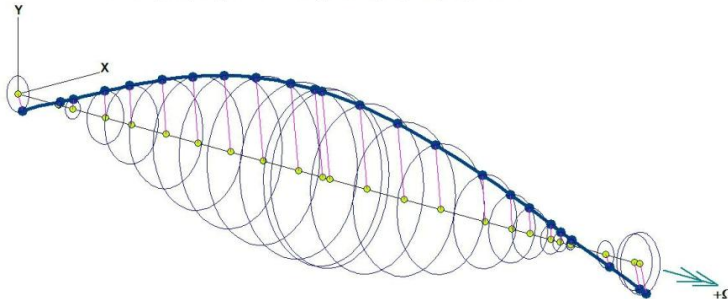
First mode at 8500 rpm

No adjustment

$N = 4563$ cpm

Log. Dec. = 0.25

EKOFISK Phase I Analysis At 8,500 RPM With 5 Pad LOP, $m=0.3$, Derated Brg Damping
 $K_{xx} = 1.152e6$, $K_{yy} = 1.29e6$ Lb/in, $C_{xx} = 800$, $C_{yy} = 900$ Lb-Sec/in
Mode No.= 2 STABLE FORWARD Precession
Shaft Rotational Speed = 8500 rpm
Whirl Speed (Damped Natural Freq.) = 4486 rpm (75 Hz), Log. Dec. = 0.1477



50% Derate

$N = 4486$ cpm

Log. Dec. = 0.15

Measured Instability 4400 cpm



Rotor Stability

- n An approximate rotor stability limit for a symmetric, flexible rotor is given by (I think this assumes optimum damping)

$$Q = \frac{M_{\text{modal}}}{2(1+K)} \times \omega_{\text{cr}}^2 \left[\frac{1+2K}{2(1+K)} \right]^{0.5}$$

Where:

$M_{\text{modal}} = 1.07$, $\omega_{\text{cr}} = 497$ rad/sec (*Critical Speed on rigid bearings*)

$1/K_{\text{eff}} = 1/K_{\text{yy}} + 1/K_{\text{f}}$

$K_{\text{yy}} = 1.29\text{e}6$ Lb/In , $K_{\text{f}} = 2.8\text{e}6$ Lb/In (*Support Stiffness*)

$K_{\text{eff}} = 883,000$ Lb/In

$K = 2 K_{\text{eff}} / K_{\text{s}} = 2 \times 883,000 / 270,000 = 6.54$, $K_{\text{s}} = \text{Modal shaft stiffness}$

$$Q = 17,500 \text{ Lb/In}$$

- n This is well below the desired 100,000 to 200,000 lbf/in
 - Cloud et al. give the API Level 1 cross coupling as 207,000 lbf/in



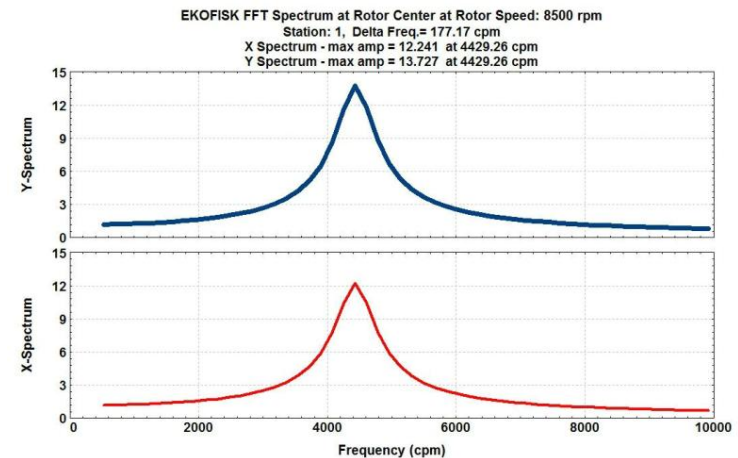
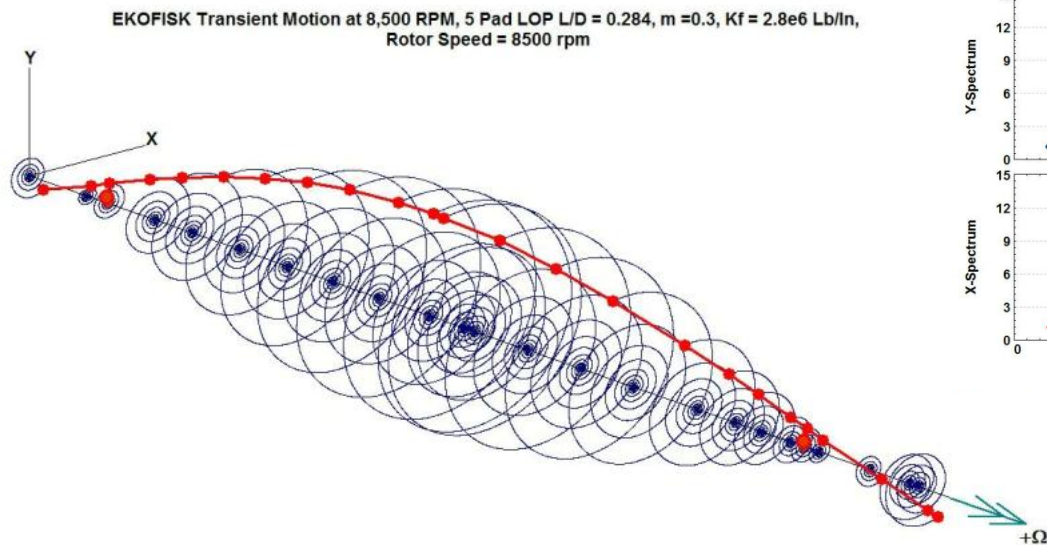
Rotor Stability

- n This compressor will almost certainly be unstable!
 - .. Even without consideration of oil ring seal effects
- n Fundamental issue is that the narrow five pad LOP bearings are too stiff
 - .. They were probably selected to push the second critical speed up to well above the operating speed range
 - .. Causes the rotor to be very sensitive to self-excited whirling forces
 - .. This characteristic is also sometimes seen in more modern compressors if tilting pad bearings with large offset are used
 - n A machine with stiff bearings relative to the shaft stiffness is almost always undesirable unless the machine is running below the first critical speed



Time Transient Response

- Modern rotordynamic tools such as Dyrobes can perform a time transient response with the full bearing calculation performed at every time step
 - These tools were not available in the 1970's
 - Will show the instability



FFT of Unstable Rotor Spectrum Showing Whirl at 4,429 CPM



Solution 1 – Squeeze Film Damper

- n Paper has considerable detail
- n Can use optimal support stiffness (half shaft modal stiffness) for an initial estimate of target damper stiffness
 - .. Too high damper stiffness reduces the amount of acceptable aerodynamic cross-coupling
- n Can run parametric study to determine the range of damping that works and the maximum amount of aerodynamic cross-coupling that can be applied and the system remain stable
 - .. Not enough damping -> the amount of cross-coupled stiffness that can be applied drops
 - .. Too much damping -> damper “lock-up” and is not effective



Solution 1 – Squeeze Film Damper

Maximum Q values For Various Support Stiffness and Damping

<i>K_f support, Lb/In</i>	<i>C_f support damping, Lb-S/In</i>	Maximum Q Lb/In
150,000	600 - 900	100,000
300,000	1,000 - 1,300	75,000
500,000	1,200 - 1,800	60,000

All are much higher
than the original limit of
less than 20,000 lbf



Solution 1 – Squeeze Film Damper

n Sizing and Dimensions

- Dyrobes has a calculation tool that can be used

n Central circumferential groove

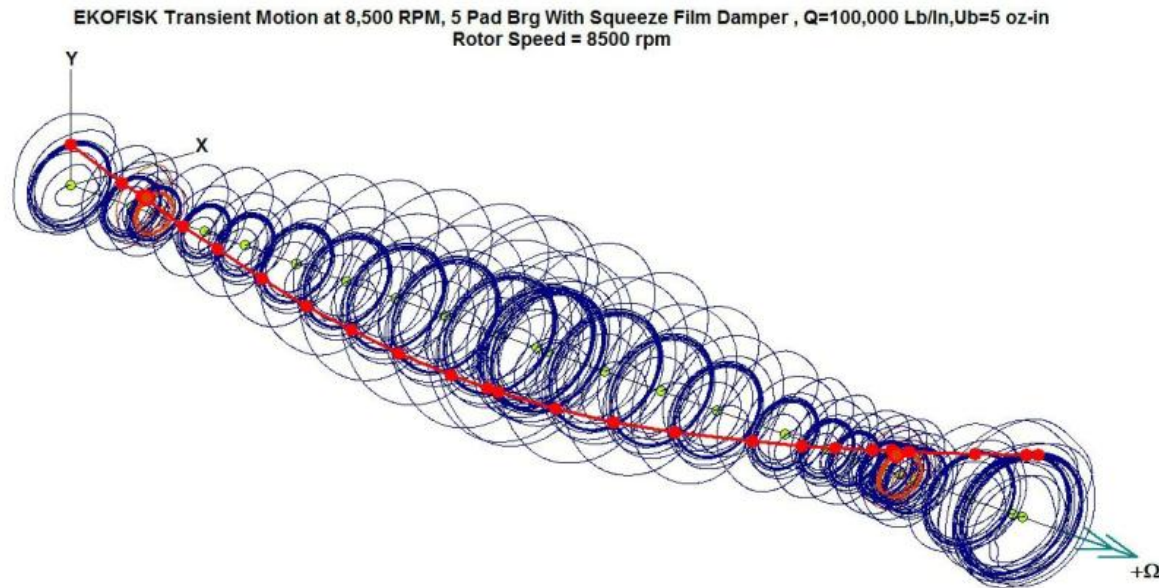
- Be very careful about central grooves, some equations assume the damper has a central circumferential groove. If it is modeled, but not present in the hardware, there is a high risk of lockup
 - n E.J. believes this was a problem with one of the Kaybob fixes

n O-Rings

- O-ring end seal stiffnesses must be included in parallel with the damper coefficients if o-rings are used to seal the ends of the damper
- Be aware of the potential for shaft weight to crush the o-ring
 - n Centered dampers are preferred

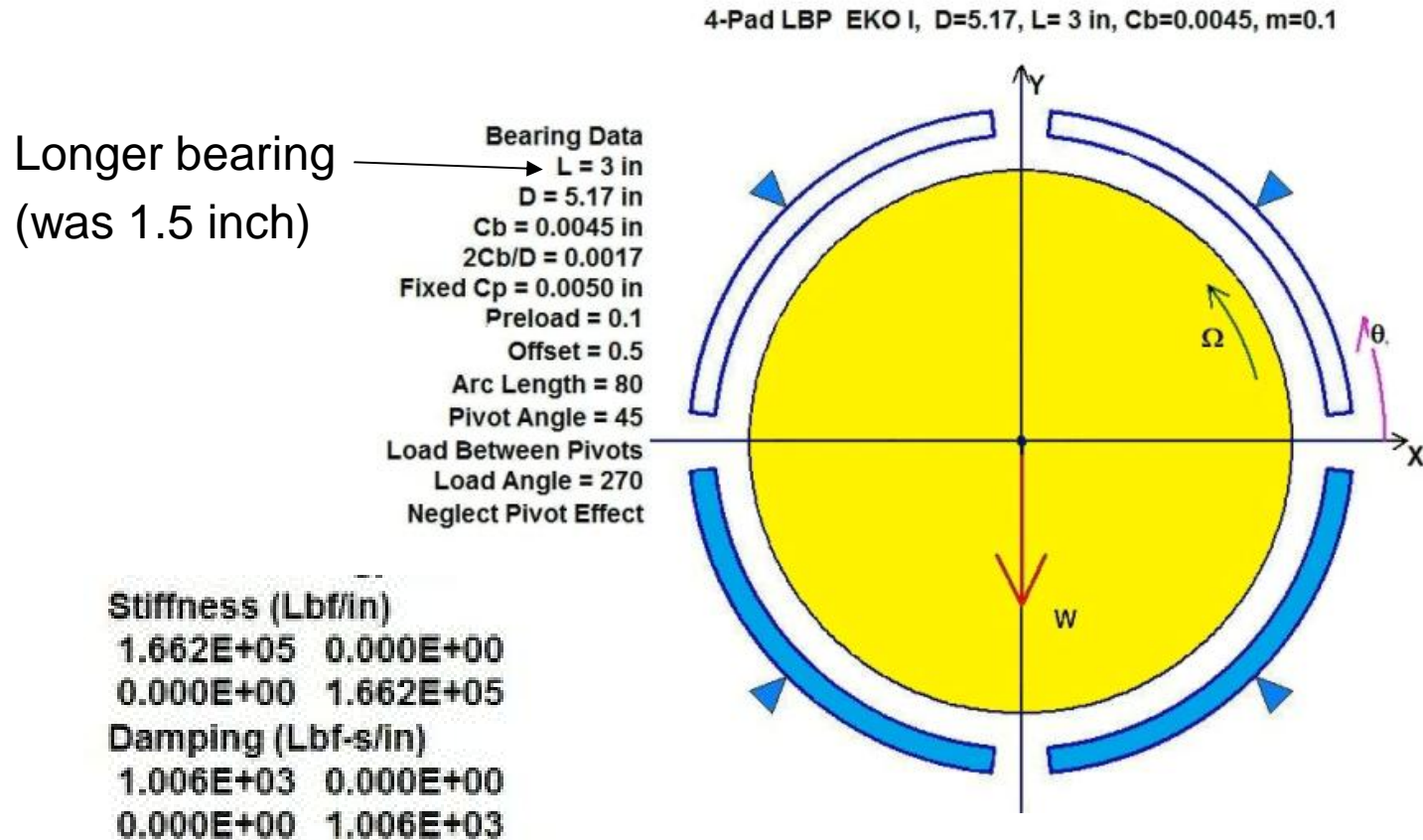


Solution 1 – Squeeze Film Damper



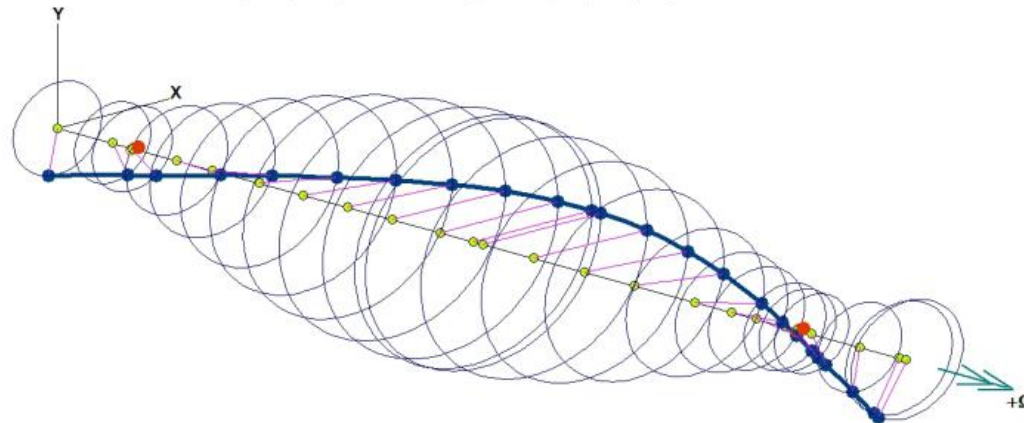
Transient Motion With Nonlinear Squeeze Film Dampers
 $K_f=100,000$ Lb/in, $C_r = 8$ mils, $Q = 100,000$ Lb/in - Stable System

Solution 2 – Softer Bearing, 4 Pad LBP



Solution 2 – Softer Bearing, 4 Pad LBP

EKOFISK Phase I Stability at 8,500 RPM With 4 Pad LBP, L/D=0.58, Q = 88,000Lb/In
Kxx = 1.66e5, Kyy = 1.66e5 Lb/In, Cxx = 1006, Cyy = 1006 Lb-Sec/In
Mode No.= 2 STABLE FORWARD Precession
Shaft Rotational Speed = 8500 rpm
Whirl Speed (Damped Natural Freq.) = 4258 rpm (71 Hz), Log. Dec. = 0.0034



EKO I Rotor Stability With Four Pad LBP Bearings

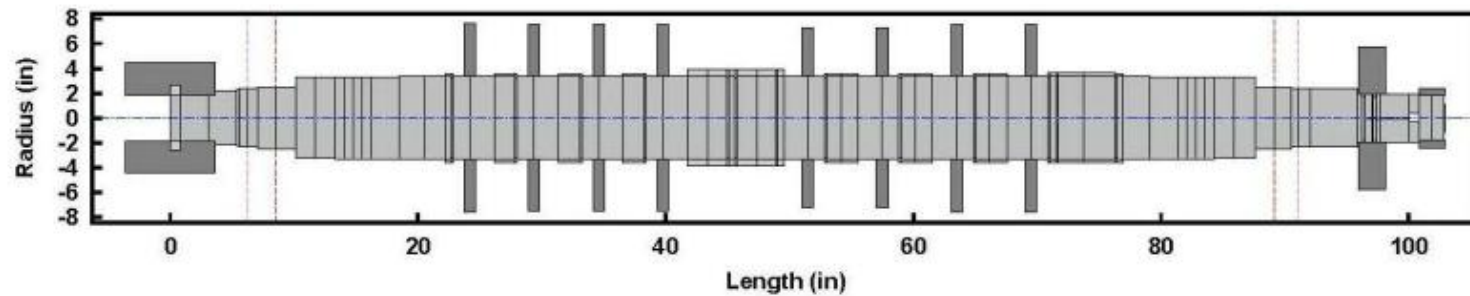
$K_{xx} = K_{yy} = 166,000 \text{ Lb/In}$ $Q_{max} = 88,000 \text{ Lb/In}$

Solution 2 – Softer Bearing, 4 Pad LBP

- n But wait ... what about the second critical speed?
- n The softer bearing has enough damping that the second mode is an overdamped, rigid body conical mode
 - .. Does not get excited
- n Next critical speed is well above operating speed
- n The early 1970's tools would have had a hard time verifying that the second critical speed was not a concern

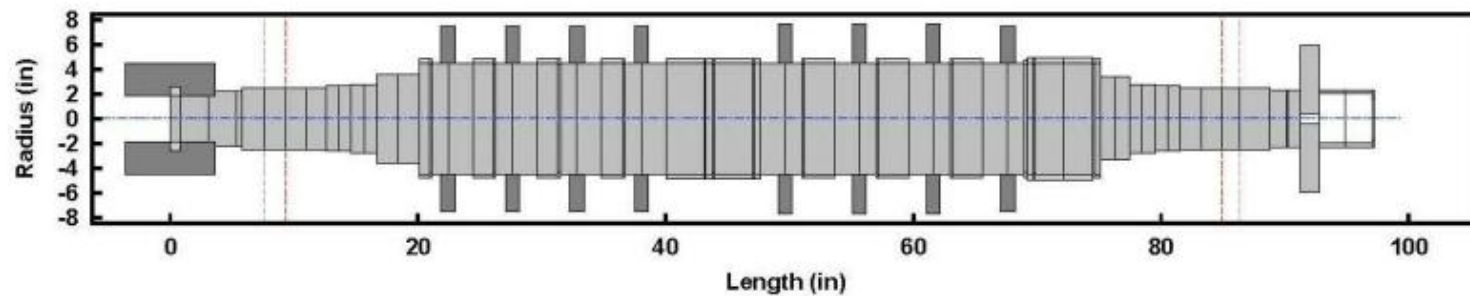


Solution 3 – Shorter, Larger Diameter Rotor



(a) Phase I

$$L/D = 12$$



(b) Phase IV

$$L/D = 8.4$$

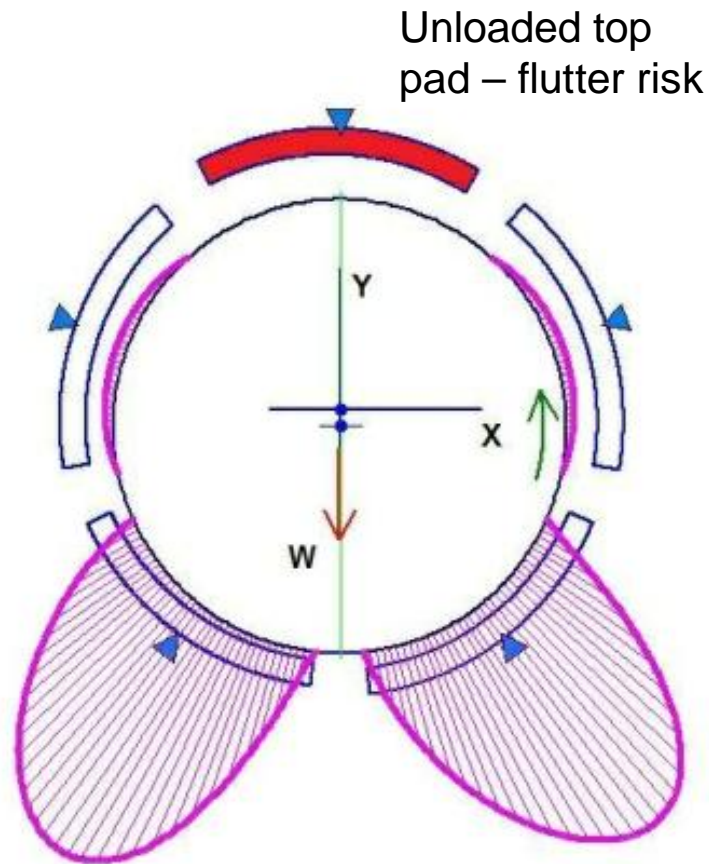


Solution 3 – Clock Bearing to be LBP

Also went to center (50%) pivot and increased clearance which reduces preload

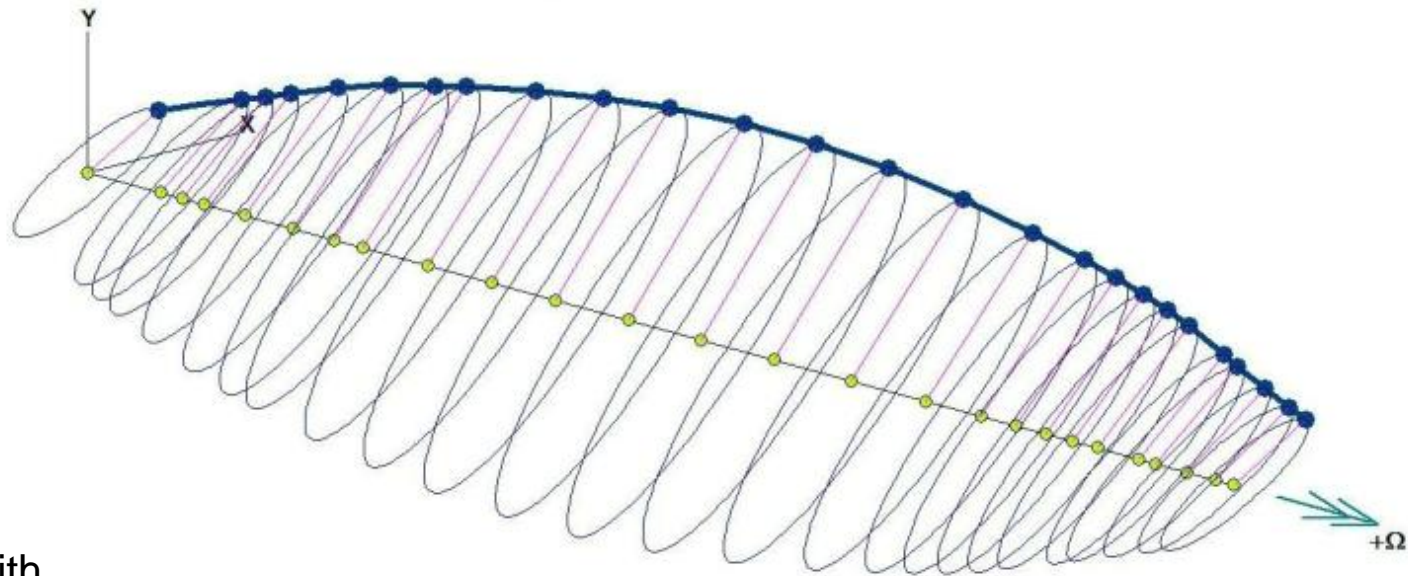
Stiffness (Lbf/in)
3.239E+05 0.000E+00
0.000E+00 5.952E+05
Damping (Lbf-s/in)
2.702E+02 0.000E+00
0.000E+00 4.350E+02

Arguably, this is actually a 4 pad LBP bearing, since the top pad is not doing much



Solution 3 – Clock Bearing to be LBP

EKOFISK ROTOR IV Stability With 5 Pad LBP Bearings, $D=5$, $L=1.5$, $C_b=0.005$, $m=.3$
 $K_{xx} = 324,000$, $K_{yy} = 595,000$ Lb/in, $C_{xx} = 270$, $C_{yy} = 435$ Lb-s/in
Mode No.= 2 STABLE FORWARD Precession
Shaft Rotational Speed = 8500 rpm
Whirl Speed (Damped Natural Freq.) = 3741 rpm (62 Hz), Log. Dec. = 0.2362



Stable with
100,000 lbf/in
cross-coupling



Discussion and Conclusions

- n Design practices and codes of the time drove the Ekofisk design towards a long (flexible) shaft and narrow, very stiff bearings
- n This is generally not a desirable combination
 - .. Modal strain energy is all in the shaft
 - .. Bearing damping is not very effective in reducing amplification factors or providing rotordynamic stability
- n The Dyrobes re-analysis does a very good job matching the observed instability frequency without considering oil seal effects
 - .. Original analysis did not match very well



Discussion and Conclusions

n Solutions

- .. Major rotor redesign
 - n Implemented in 1974
 - n Shorter, larger diameter rotor (stiffer)
 - n Switched to load between pivot bearings with more clearance (softer)
- .. Squeeze film damper
 - n Carefully designed damper probably would have worked with original rotor
- .. 4 pad load between pads bearing
 - n Carefully designed 4 pad bearings probably would have worked with original rotor



Thank-You for
Listening!

